

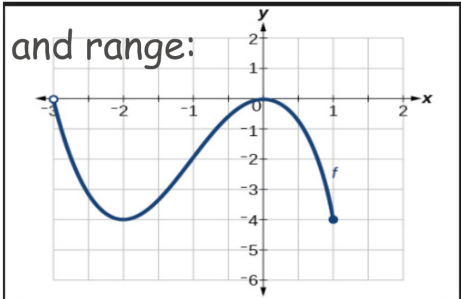
## Warm-Up

- List the eight parent functions:  
 abs. value quad    square root log    rational exp    cube root cubic
- Identify the transformation:  $f(x) = -(x-5)$   
 H.T. right 5, reflect across the x-axis
- Identify the transformation:  $f(x) = \frac{1}{(x+2)}$   
 H.T. left 2

4. Identify the domain and range:

D:  $(-3, 1]$   
 R:  $[-4, 0]$

5. Factor  $x^2 - 2x - 15$   
 $(x-5)(x+3)$



## ACT Question of the Day:

5. If  $f(x) = (3x + 7)^2$ , then  $f(1) = ?$
- 10
  - 16
  - 58
  - 79
  - 100

## Transformation Rule

- |   |   |
|---|---|
| Cubic<br>$f(x) = a(x-h)^3 + k$                  | Absolute value<br>$f(x) = a x-h  + k$                       |
| Radical/Square root<br>$f(x) = a\sqrt{x-h} + k$ | box 2: horizontal translation left ( $x-h$ )                |
| Exponential<br>$f(x) = a b^{(x-h)} + k$         | box 3: horizontal translation right ( $x-h$ )               |
| Quadratic<br>$f(x) = a(x-h)^2 + k$              | box 4: vertical translation up ( $x-h$ ) <sup>2</sup> + k   |
| Cube root<br>$f(x) = a\sqrt[3]{x-h} + k$        | box 5: vertical translation down ( $x-h$ ) <sup>2</sup> - k |
| log<br>$f(x) = a \log_b(x-h) + k$               | box 6: reflect across x-axis - (x)                          |
| Rational<br>$f(x) = \frac{a}{(x-h)} + k$        | box 7: vertical compression $0 < a < 1$ (wider)             |
|   | box 8: vertical stretch $a > 1$ (narrow)                    |

## Unit 1 Functions:

### Vertical and Horizontal Asymptotes

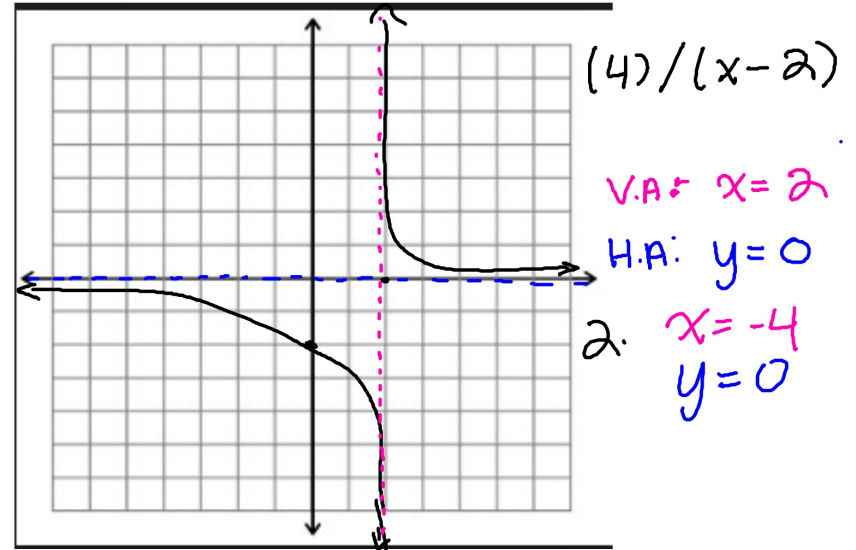
Asymptotes are (usually invisible) space that a graph gets closer and closer to but never touches.

Rational Function:

Vertical Asymptotes:  $x =$   
Vertical line where the graphs separates

Horizontal Asymptotes:  
Horizontal line where the graphs separates

$$f(x) = \frac{4}{x-2}$$



$$f(x) = \frac{3}{x+5} - 2$$

